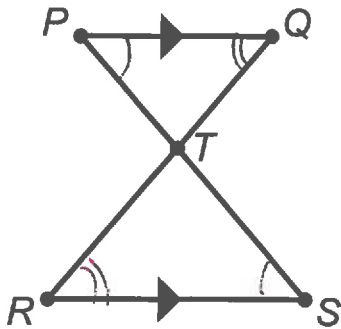


Proving Triangles Similar

Triangle Similarity Theorems: AA Similarity SAS Similarity SSS Similarity

1a. Given: $\overline{PQ} \parallel \overline{SR}$
a. Prove: $\triangle PQT \sim \triangle SRT$



S	R.
<p>① $\overline{PQ} \parallel \overline{SR}$</p> <p>② $\angle P \cong \angle S$ $\angle Q \cong \angle R$</p> <p>③ $\triangle PQT \sim \triangle SRT$</p>	<p>① Given</p> <p>② 2 // lines cut by trans make alt. int \angle's \cong.</p> <p>③ AA Similarity.</p>

b. Now that you know $\triangle PQT \sim \triangle SRT$, it must be true that $\frac{PT}{ST} = \frac{QT}{RT}$. Why?

the ratios of corr. sides of similar Δ 's are =.

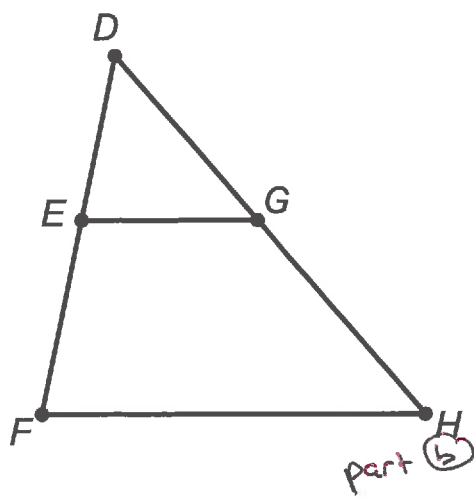
c. Now that you know $\frac{PT}{ST} = \frac{QT}{RT}$, then it must be true that $(PT)(RT) = (QT)(ST)$. Why?

In a proportion, the product of the means, equals the product of the extremes.

(the proportion postulate).

2a. Given: $(DE)(DH) = (DG)(DF)$
 Prove: $\triangle DEG \sim \triangle DFH$

using Division we can create a proportion:
 $\frac{DE}{DF} = \frac{DG}{DH}$ } Here ratios are from corr. sides so we should use SAS Similarity



S	R.
① $(DE)(DH) = (DG)(DF)$	① Given
② $\frac{DE}{DF} = \frac{DG}{DH}$	② Division
③ $\angle D \cong \angle D$	③ Reflexive.
④ $\triangle DEG \sim \triangle DFH$	④ SAS Similarity.
⑤ $\frac{DE}{DF} = \frac{EG}{FH}$	⑤ Ratios corr. sides of $\sim \Delta$'s are =.
⑥ $(DE)(FH) = (DF)(EG)$	⑥ In a proportion, the prod. of means = prod. of extremes.

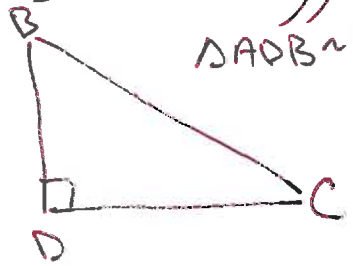
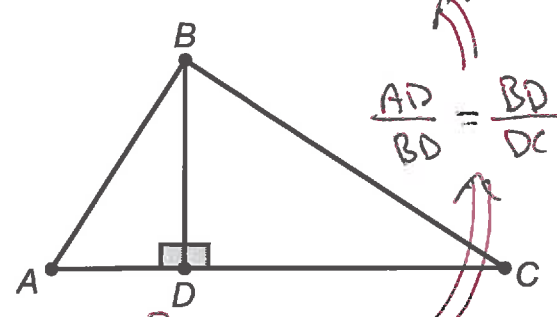
b. Add the necessary steps to your proof to prove:
 $\frac{DE}{DF} = \frac{EG}{FH}$

c. Add the necessary steps to your proof to prove:
 $(DE)(FH) = (DF)(EG)$

3. Given: $\angle ABD \cong \angle BCD$
 $\overline{BD} \perp \overline{AC}$

Prove: $(AD)(DC) = (BD)^2$

$(AD)(DC) = (BD)(BD)$
 Small Δ Bis Δ Small Δ Bis Δ



$\triangle ADB \sim \triangle BDC$

$$\frac{AD}{BD} = \frac{BD}{DC}$$

S	R.
① $\angle ABD \cong \angle BCD$ $\overline{BD} \perp \overline{AC}$	① Given
② $\angle ADB, \angle CDB$ are rt.	② \perp lines make rt \angle 's.
③ $\angle ADB \cong \angle BDC$	③ Rt \angle 's \cong .
④ $\triangle ADB \sim \triangle BDC$	④ AA Similarity.
⑤ $\frac{AD}{BD} = \frac{BD}{DC}$	⑤ In similar Δ 's, the ratios of corr. sides are =.
⑥ $(AD)(DC) = (BD)(BD)$ $(AD)(DC) = (BD)^2$	⑥ In a proportion, the prod. of means = prod. of extremes.